| Question |  |  | Answer <br> clear diagram or explanation starting with equilateral triangle correctly showing 30 as half angle and sides 1 and 2 or multiples of these lengths <br> correct use of Pythagoras and adjacent and hypotenuse correctly identified to obtain given result $\cos 30^{\circ}=\frac{\sqrt{3}}{2}$ | Marks <br> B1 <br> B1 | Guidance |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | (i) |  |  |  | adjacent and hypotenuse may be identified on diagram | units for sides and angle not required condone abbreviations |
| 1 | (ii) |  | $\begin{aligned} & \pm \frac{\pi}{6} \text { or }-\frac{5 \pi}{6} \text { soi } \\ & \frac{11 \pi}{6} \\ & \frac{7 \pi}{6} \end{aligned}$ | M1 <br> A1 <br> A1 <br> [3] | may be implied by correct answer or $\pm 0.523598775 \ldots$, or may appear on quadrant diagram or graph <br> if $\mathbf{A 0 A 0}, \mathbf{S C 1}$ for $1.8333333 \pi$ and $1.16666666 \pi$ to 3 or more sf or SC1 for $330^{\circ}$ and $210^{\circ} \mathrm{Www}$ | condone $\pm 30^{\circ}$ or $-150^{\circ}$ <br> ignore extra values outside the range <br> if full marks or SC1 awarded, subtract 1 for extra values in the range |


| $\mathbf{2}$ | using Pythagoras to show that hyp. <br> of right angled isos. triangle with <br> sides $a$ and $a$ is $\sqrt{ } 2 a$ <br> completion using definition of cosine | M1 | www | A1 |
| :--- | :--- | :--- | :--- | :--- | | a any letter or a number |
| :--- |
| NB answer given |$\quad 2$


| 3 | (i)sketch of $\cos x ;$ one cycle, <br> sketch of cos2x; two cycles, <br> Both axes scaled correctly | 1 |  |  |
| :--- | :--- | :--- | :--- | :--- |
|  | (ii) (1-way) stretch parallel to y axis <br> sf 3 | 1 |  |  |


| 4 | $1 / \sqrt{ } 15$ i.s.w. not $+/-$ | 3 | M2 for $\sqrt{ } 15$ seen <br> $M 1$ for rt angled triangle with side 1 and <br> hyp 4, or $\cos ^{2} \theta=1-1 / 4^{2}$. | 3 |
| :--- | :--- | :--- | :--- | :--- |


| $\mathbf{5}$ | (i) sketch of correct sh <br> correct period and amplitude <br> period halved for $y=\cos 2 x ;$ <br> amplitude unchanged | G1 <br> G1 | Not ruled lines <br> need 1 and -1 indicated; nos. on horiz <br> axis not needed if one period shown |
| :--- | :--- | :--- | :--- | :--- |
| (ii) $30,150,210$, | B2 | B1 for 2 of these, ignore extras outside <br> range. | 5 |


| $\mathbf{6}$ | (i) correct sine shape throug <br> amplitude of 1 and period $2 \pi$ shown <br> (ii) $\pi / 6$ and $11 \pi / 6$ | 1 |  |  |
| :--- | :--- | :--- | :--- | :--- |
|  | 3 | B2 for one of these; 1 for $-\pi / 6$ found |  |  |


| 7 | At least one cycle from ( 0,0 ) amplitude 1 and period $360\left[{ }^{\circ}\right.$ ] indicated <br> 222.8 to 223 and 317 to $317.2\left[^{\circ}\right.$ ] | G1 <br> G1dep <br> 2 | 1 each, ignore extras | 4 |
| :---: | :---: | :---: | :---: | :---: |


| $\mathbf{8}$ | (i) | 2 | no numbers required on axes unless <br> more branches shown. <br> G1 for a correct first sweep |  |
| :--- | :--- | :--- | :--- | :--- |
|  |  |  |  |  |
|  | (ii) 36.8 to 36.9 and 216.8 to 216.9 | A1A1 | Allow 37, 217 | 5 |


| 9 | At least 1 period of sine curve <br> Sine curve from 0 to 360 | G1 | G1 | $\pm 1$ indicated |
| :--- | :--- | :--- | :--- | :--- |
|  | 191.537 rot to 3 or more sf <br> 348.463 rot to 3 or more sf | B1 | After B1 B1, -1 for extras in the range <br> SC1 for 192.8 and 347.2 (grads) <br> SC1 for 180.2 and 359.8 (radians) | 4 |

